

Modelling Across Scales

V5F3 - Advanced Topics in Stochastic Analysis

WS 2020, University of Bonn

References

Lecture Specific Material

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Further Reading

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