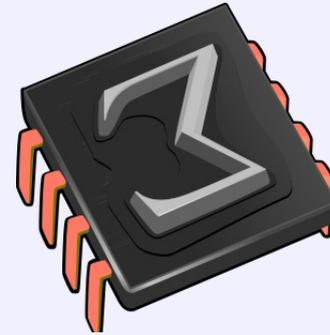

The Guile in TeXmacs



- ▶ Visual **structured** editor: WYSWYG & WYSWYM
- ▶ Inspired by T_EX and EMACS
- ▶ High-quality typesetting algorithms (including microtypography)
- ▶ Special features for mathematical typesetting and input
- ▶ Support for interactive sessions: Scheme, Python, R, Octave, Maxima, Axiom, Mathemagix (and other CAS).
- ▶ Multi-platform: Unix, MacOS, Windows (via QT)
- ▶ Own format (XML like). Native output to PDF and PS. Export to L^AT_EX, HTML
- ▶ Internal image editor, interfaces to SVN and GIT, versioning tool, database tool, encryption of documents.
- ▶ Website and documentation written in TeXmacs

Gallery

TeXmacs File Edit Insert Focus Format Document Version View Go Tools Help

ffnlogn.tm

$$\log x := \min \{k \in \mathbb{N} : \log^k x \leq 1\} \tag{1.3}$$

$$\log^{o_k} := \log \circ \dots \circ \log_{k \times}$$

and the bound (1.2) holds uniformly in q .

For the statement of our new results, we need to recall the concept of a “Linnik constant”. Given two integers $k > 0$ and $a \in \{1, \dots, k-1\}$ with $\gcd(a, k) = 1$, we define

$$P(a, k) := \min \{ck + a : c \in \mathbb{N}, ck + a \text{ is prime}\}$$

$$P(k) := \max \{P(a, k) : 0 < a < k, \gcd(a, k) = 1\}.$$

We say that a number $L > 1$ is a *Linnik constant* if $P(k) = O(k^L)$. The smallest currently known Linnik constant $L = 5.18$ is due to Xylouris [57]. It is widely believed that any number $L > 1$ is actually a Linnik constant; see section 5 for more details.

In this paper, we prove the following two results:

THEOREM 1.1. Assume that there exists a Linnik constant with $L < 1 + \frac{1}{303}$. Then

$$I(n) = O(n \log n)$$

THEOREM 1.2. Assume that there exists a Linnik constant with $L < 1 + 2^{-1162}$. Then

$$M_q(n) = O(n \log q \log(n \log q)), \quad \text{uniformly in } q.$$

math math-pagella 11 theorem eqnarray* (1,3)

The QT backend, high quality typesetting

obtaining, for any $x \in \mathbb{R}^2$, that

$$I_{\tau, \tau'}^{\pi, f_r}(0, x) \lesssim C_4 I_{\tau_{k_2}, \tau_{k_3}}^{k_1, f_r}(0, x)$$

for some $k_1, k_2, k_3 \in \mathbb{N}$. The thesis follows from the previous inequality and the bounds obtained on $I_{\tau_{k_2}, \tau_{k_3}}^{f_r}(0, x)$. \square

Proof of Theorem 47. We write

$$L_{f_r}(t) := L(\phi_{f_r, t}(0)) \quad E_{f_r}(t) := \exp\left(4t \int_{\mathbb{R}^2} f_r'(x) V(\phi_{f_r, t}(x)) dx\right).$$

We have

$$\begin{aligned} \partial_t^k F_{f_r}^L(t) &= \sum_{0 \leq l \leq k} \binom{k}{l} \mathbb{E} \left[L_{f_r}^{(k-l)}(0) \partial_t^l \left(\frac{E_{f_r}(t)}{\mathbb{E}[E_{f_r}(t)]} \right) \Big|_{t=0} \right] \\ &= \mathbb{E}[L_{f_r}^{(k)}(0)] + \sum_{1 \leq l \leq k} \sum_{0 \leq p \leq l-1} \binom{k}{l} \binom{l}{p} (\mathbb{E}[L_{f_r}^{(k-l)}(0)] \cdot E_{f_r}^{(l-p)}(0)) + \\ &\quad - \mathbb{E}[L_{f_r}^{(k-l)}(0)] \mathbb{E}[E_{f_r}^{(l-p)}(0)] \cdot \partial_t^p \left(\frac{1}{\mathbb{E}[E_{f_r}(t)]} \right) \Big|_{t=0}, \end{aligned}$$

where we used the Leibniz rule for the derivative of the product and the relation

$$\partial_t^l \left(\frac{1}{\mathbb{E}[E_{f_r}(t)]} \right) \Big|_{t=0} = - \sum_{0 \leq p \leq l-1} \binom{l}{p} \mathbb{E}[E_{f_r}^{(l-p)}(0)] \cdot \partial_t^p \left(\frac{1}{\mathbb{E}[E_{f_r}(t)]} \right) \Big|_{t=0}.$$

Since $\partial_t^p \left(\frac{1}{\mathbb{E}[E_{f_r}(t)]} \right) \Big|_{t=0}$ is bounded from above and below when $r \rightarrow +\infty$ if we are able to prove that

math math-stix 10 render-proof eqnarray* (2,3) around around* 0

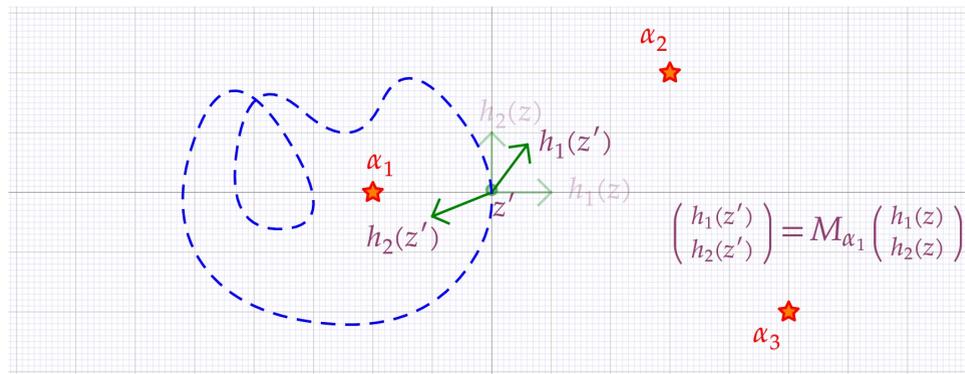
Structured editing, high quality math typesetting

Théorème de densité (cas Fuchsien)

8/19

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19

Monodromie



Théorème (SCHLESINGER)

Soient $M_{\alpha_1}, \dots, M_{\alpha_s} \in GL_r(\mathbb{C})$ les matrices de monodromie autour des singularités d'un opérateur L Fuchsien. Soit $\mathcal{G} = \langle M_{\alpha_1}, \dots, M_{\alpha_s} \rangle$ le plus petit sous groupe algébrique de $GL_r(\mathbb{C})$ qui contient $M_{\alpha_1}, \dots, M_{\alpha_s}$. Alors $\mathcal{G}_{L,h} = \mathcal{G}$.

Around du calcul numérique de groupes de Galois différentiels

Joris van der Hoeven
CNRS



Stéphanie Dédereux Palaiseau, 2 avril 2019

Le problème

$K = \mathbb{Q} \subseteq \mathbb{C}$ (ou sous corps de \mathbb{C} avec $K = \mathbb{K}$ pour certains résultats)

- $L = \partial - 1$, $R = (e^z)$

$\sigma(e^z) = ae^z, a \neq 0$

Exemples

$\sigma(e^z) = ae^z, a \neq 0$

Exemples (suite)

$L = \partial^2 + (1+z^{-1})\partial + z^{-1}$ ($=$ dérivée de $R' + h = z^{-1}$)
 $R = (\frac{1}{z} + \frac{1}{z^2} + \frac{1}{z^3} + \dots - e^{-z})$
 $\sigma(e^z) = ae^z, a \in \mathbb{K}^*$

Historique abrégée

1895, 1897, SCHUBINGER : théorème de densité (cas Fuchsien)

Factorisation de l'opérateur L

1894, BIKÉ : facteurs d'ordre un

Solutions formelles autour d'une singularité

Point non singulier $z = \alpha$. On peut prendre $h = h^{(1)}$ unique telle que

$$\begin{pmatrix} h_1(\alpha) & \dots & h_n(\alpha) \\ h_1^{(1)}(\alpha) & \dots & h_n^{(1)}(\alpha) \end{pmatrix} = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$$

Théorème de densité (cas Fuchsien)

Monodromie



Théorème de densité (cas général)

Matrices exponentielles induites par automorphismes σ exponentiels $\sigma(e^{z/(2\pi i)}) = A e^{z/(2\pi i)}$

Théorème de densité (cas général, suite)

Accélération-sommation d'échelle

$$\begin{matrix} \tilde{h} & & & & h \\ \downarrow A_{11} & & & & \downarrow A_{1n} \\ \tilde{h}_1 & \xrightarrow{A_{12}} & \tilde{h}_2 & \xrightarrow{\dots} & \tilde{h}_{p-1} & \xrightarrow{A_{1p}} & \tilde{h}_p \\ & & & & & & \downarrow A_{pn} \\ & & & & & & h_n \end{matrix}$$

Nombres holonomes

Théorème (CHUDNOVSKY, VAN DER HOEVEN)
 Pour $K = \mathbb{Q}$ et en prenant un point de base non singulier dans K , on peut approximer en temps $O(n \log^n n)$ les matrices de monodromie de L autour de chaque singularité avec une erreur d'au plus 2^{-n} .

Factorisation de L

- Calculer des générateurs $M_1, \dots, M_m \in GL_n(\mathbb{C}^{(m)})$ de \mathcal{G}_L
- Fixer une précision ϵ de calcul pour les \times tests à venir
- Déterminer un sous espace invariant V non trivial pour M_1, \dots, M_m
- Si un tel espace V n'existe pas, alors retourner \perp
- À partir de V , reconstruire une factorisation $L = AB$ candidat
- Si $L \neq AB$, alors retourner \perp (N.B.)
- Doublez la précision et retourner à l'étape 3

Zoom sur l'étape 3

- Calculer des générateurs $M_1, \dots, M_m \in GL_n(\mathbb{C}^{(m)})$ de \mathcal{G}_L
- Fixer une précision ϵ de calcul pour les \times tests à venir
- Déterminer un sous espace invariant V non trivial pour M_1, \dots, M_m
- Si un tel espace V n'existe pas, alors retourner \perp
- À partir de V , reconstruire une factorisation $L = AB$ candidat
- Si $L \neq AB$, alors retourner \perp (N.B.)
- Doublez la précision et retourner à l'étape 3

Zoom sur l'étape 5

- Calculer des générateurs $M_1, \dots, M_m \in GL_n(\mathbb{C}^{(m)})$ de \mathcal{G}_L
- Fixer une précision ϵ de calcul pour les \times tests à venir
- Déterminer un sous espace invariant V non trivial pour M_1, \dots, M_m
- Si un tel espace V n'existe pas, alors retourner \perp
- À partir de V , reconstruire une factorisation $L = AB$ candidat
- Si $L \neq AB$, alors retourner \perp (N.B.)
- Doublez la précision et retourner à l'étape 3

Groupe Galois différentiel

Idee : calculer \mathcal{G} comme variété sous la forme

$$\mathcal{G} = \mathcal{F}e^{\mathcal{L}} \quad (\forall N \in \mathcal{F}, N e^{\mathcal{L}} = e^{\mathcal{L}} N)$$

\mathcal{F} : ensemble fini contenant 1
 \mathcal{L} : algèbre de Lie donnée par une base

Groupe Galois différentiel : l'algorithme

Étape 1. Initialisation
 Calculer $(M_i) = \mathcal{F}e^{L_i}$ pour tout $i \in \{1, \dots, m\}$
 $\mathcal{F} := \mathcal{F}_1 \cup \dots \cup \mathcal{F}_m$
 $\mathcal{L} := \text{Lie}(\mathcal{L}_1 + \dots + \mathcal{L}_m)$

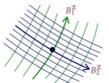
Étape 2. Clôture
 Tant qu'il existe un $N \in \mathcal{F} \setminus \{1\}$ avec $N \mathcal{L} N^{-1} \not\subseteq \mathcal{L}$
 $\mathcal{L} := \text{Lie}(\mathcal{L} + N \mathcal{L} N^{-1})$
 Tant qu'il existe un $N \in \mathcal{F} \setminus \{1\}$ avec $N e^{\mathcal{L}} \neq e^{\mathcal{L}} N$, faire $\mathcal{F} := \mathcal{F} \cup \{N\}$
 Tant qu'il existe un $N \in \mathcal{F}^2$ avec $N \in \mathcal{F}e^{\mathcal{L}}$, faire
 Calculer $(N) = \mathcal{F} e^{\mathcal{L}}$
 Si $L' \not\subseteq \mathcal{L}$, alors $\mathcal{L} := \text{Lie}(\mathcal{L} + L')$, quitter la boucle, repérer l'étape 2
 Sinon, $\mathcal{F} := \mathcal{F} \cup \{N\}$
 Retourner $\mathcal{F}e^{\mathcal{L}}$

Calculs plus rapides avec la partie discrète

Représentation compacte des éléments dans $\mathcal{H} = \mathcal{G}e^{\mathcal{L}}$

- Réduire au cas où $\mathcal{G} \subseteq \text{Norm}(\mathcal{L})^{\mathcal{L}}$
- Premier élément $M = B_1 = e^{\mathcal{L}}$ de la base \leftarrow avec $-M e^{\mathcal{L}} \in \mathcal{H}$
 $-M e^{\mathcal{L}}$ génère $(e^{\mathcal{L}} \circ \eta(\mathcal{G}))e^{\mathcal{L}}$
 $-M$ admet un ordre \mathfrak{g} maximal avec ces propriétés
- Posons $\mathcal{H} = \{N \in \mathcal{H} | M, N = 0\}$, $\mathcal{L} := \mathcal{L} \oplus \mathbb{C}X$, tels que
 $\mathcal{H} = \{1, \dots, M^{(k)}\} (M') e^{\mathcal{L}}$.
- Autres éléments B_2, \dots, B_r de la base par récurrence, avec
 $\|B_i\|_Z \ll \dots \ll \|B_{i-1}\|_Z$

Réduction de réseaux non commutative



- Si $\langle B_i, B_j \rangle = 0$, alors réduire en utilisant LLL.
- Si $\langle B_i, B_j \rangle \neq 0$, alors $\langle B_i, B_j \rangle_Z = O(\|B_i\|_Z \|B_j\|_Z) \rightarrow$ nouveaux éléments

Merci !



<http://www.TpXues.org>

Panorama mode

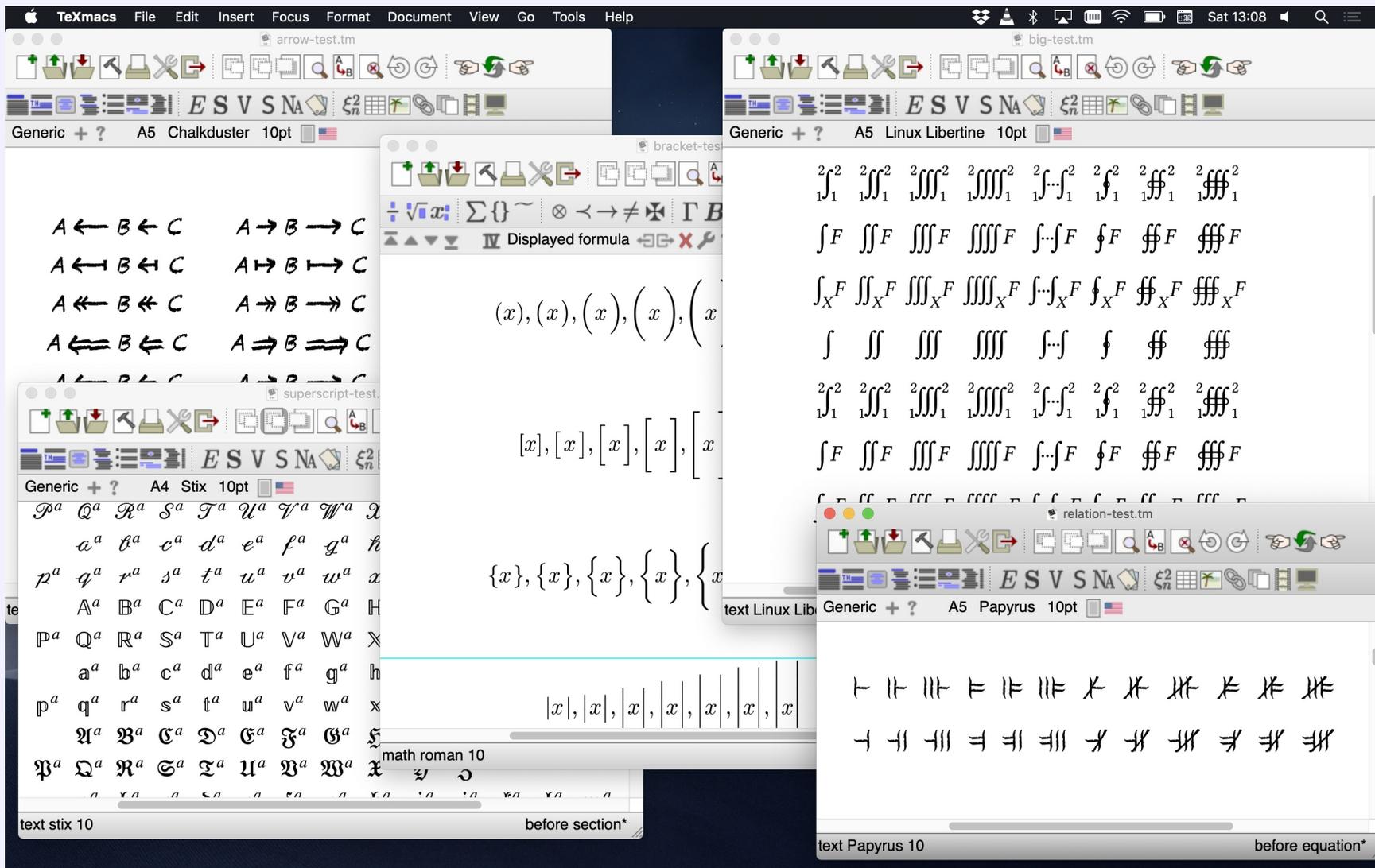
The term $(X_n - a)_-$ corresponds to our eventual losses in the last upcrossing before attaining another time the b threshold.

Figure 1. Upcrossings. In this example two upcrossings have been completed, while the third is still going on at time n and in an unfavorable situation, since $X_n \leq X_{S_3} \leq a$. The gain is therefore $W_n \geq 2(b-a) + (X_n - a)$.

Is also easy to see that $(W_n)_{n \geq 1}$ is a sur-martingale since we can write

\overleftarrow{n}

text termes 11 red big-figure graphics red dash-style=10 dash-style-unit=10ln before line



Microtypography, synthetic math fonts

TeXmacs interface to (A1)DraTeX (High Level Drawing Facilities)

```

DraTeX] \Draw
\Tree() (
2,atom //
0,electrons & 2,nucleus //
0,protons & 0,neutrons //)
\EndDraw

```

```

DraTeX] \Draw
\TreeAlign(H,0,0) (0,0,0)
\TreeSpace(S,5,15)
\Tree() (
2,European //
3,Latin & 2,Celtic //
0,French & 0,Italian & 0,Spanish & 0,Irish & 0,Welsh //)
\EndDraw

```

```

DraTeX] |

```

program roman 8 [dead] session input start

Interfaces to external packages (here DraT_EX)

TeXmacs File Edit Insert Maxima Focus Format Document View Go Tools Help

graphics.tm

Mmx] \$show (\$graph (x :-> sin(x^2)))

Maxima

(%i5) $\int \frac{x^5}{x^2 - 2016x + 1} dx$

(%o5)
$$\frac{8325150882179544 \log\left(\frac{2x - 2\sqrt{1016063} - 2016}{2x + 2\sqrt{1016063} - 2016}\right) + 16518164640769 \log(x^2 - 2016x + 1) + \frac{x^4 + 2688x^3 + 8128510x^2 + 32774144256x}{4}}{\sqrt{1016063}}$$

math roman 8 [dead] session unfolded-subsession unfolded-io-math with math-display=true

Interfaces to external packages (here MATHEMAGIX and MAXIMA)

TeXmacs File Edit Insert Focus Format Document View Go Tools Help

Help - 数学公式

Tmdoc + ? A4 Sys-chinese 10pt

插入→数学→多行公式或者 **Alt+&**.

这个条目创建了一个`eqnarray*`，一个三列宽的类似表格的环境（详见[创建表格](#)）。在这个环境中可以方便地输入多行公式，比如：

$$\begin{array}{rcl} x + 0 & = & x \\ x + (-x) & = & 0 \\ x + y & = & y + x \\ (x + y) + z & = & x + (y + z) \end{array}$$

第一列右对齐，第二列居中，第三列左对齐。`eqnarray*`环境的典型用途就是显示多步计算：

$$\begin{array}{rcl} (e^{\sin x} + \sin e^x)' & = & (e^{\sin x})' + (\sin e^x)' \\ & = & (\sin x)' e^{\sin x} + (e^x)' \cos e^x \\ & = & e^{\sin x} \cos x + e^x \cos e^x, \end{array}$$

在这个例子中，大多数行的第一列是空着的。

2. 输入数学符号

使用 **⇧F7** 输入希腊字母，比如，**⇧F7 A** 输入 α ，**⇧F7 ⇧G** 输入 Γ 。类似地，**F6**，**F7**，**F8** 和 **⇧F6** 可用来输入粗体，手写体，德文黑体和黑板粗体。例如，**F8 M** 得到 \mathbb{M} ，**⇧F6 ⇧P** 得到 \mathbb{R} 以及 **F6 F7 ⇧Z** 得到 \mathbb{Z} 。

text sys-chinese 10 before tmdoc-title

Support for oriental scripts

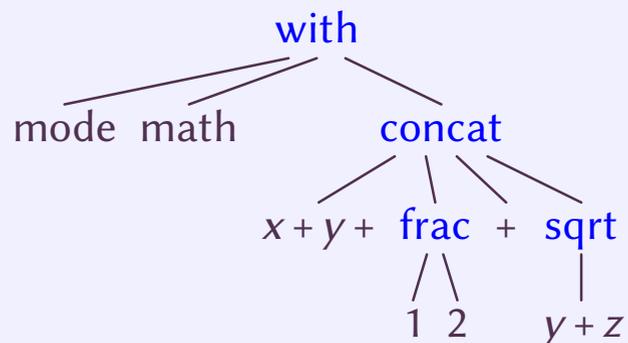
- ▶ Started in 1998 by JORIS VAN DER HOEVEN
 - v0.2.3β released 26 Oct 1999
 - v1.0 (2002)
 - QT backend in v1.0.7 (2008)
 - native PDF support in v1.99.1 (2013)
 - currently version 1.99.9 (soon 2.1)
- ▶ Written in C++ (~300.000 loc) and SCHEME (~150.000 loc) (from [\[openhub\]](#)).
- ▶ Fully modular, external dependencies (mostly) isolated via tight interfaces.
- ▶ Two UI backends: legacy X11 with custom widget library, modern QT backend (cross-platform support).
- ▶ **GNU Guile as extension language.** C++ export basic manipulation routines and few internal datatypes.



Some of the (current) developers

All $\text{T}_{\text{E}}\text{X}_{\text{MACS}}$ documents or document fragments can be thought of as *trees*.

For instance, the tree



typically represents the formula

$$x + y + \frac{1}{2} + \sqrt{y + z}$$

Serialization of TeXmacs documents without loss of informations

- $\text{T}_{\text{E}}\text{X}_{\text{MACS}}$ format

```
<with|mode|math|x+y+<frac|1|2>+<sqrt|y+z>>
```

- XML format

```
<frac><tm-arg>1</tm-arg><tm-arg>2</tm-arg></frac>+<sqrt>y+z</sqrt>
```

- SCHEME format

```
(with "mode" "math" (concat "x+y+" (frac "1" "2") "+" (sqrt "y+z")))
```

Typesetting process converts TeXmacs trees into boxes:



The **typesetting primitives** are designed to be very fast and they are built-in into the editor:

e.g. typesetting primitives for horizontal concatenations (**concat**), page breaks (**page-break**), mathematical fractions (**frac**), hyperlinks (**hlink**), and so on.

The rendering of many of the primitives may be customized through the **built-in environment variables**.

e.g. the environment variable **color** specifies the current color of objects, **par-left** the current left margin of paragraphs, etc.

The **stylesheet language** allows the user to write new primitives (macros) on top of the built-in primitives.

Contains primitives for defining macros, conditional statements, computations, delayed execution, etc. and a special **extern** tag to inject SCHEME expressions in order to write macros.

Evaluation of TeXmacs trees proceeds by reduction of the primitives, essentially by evaluation of macro applications.

```
⟨assign|hello|⟨macro|name|Hello name, how are you today?⟩⟩
```

Macros have editable input fields. Examples here below (activate the macros):

```
⟨assign|hello|⟨macro|name|Hello name, how are you today?⟩⟩
```

```
⟨hello|dsdjskjds⟩
```

```
⟨assign|seq|⟨macro|val|(val1, ..., valn)⟩⟩
```

$$\langle \text{seq} | f \rangle = \langle \text{seq} | g \rangle$$

TeXmacs is extendable and customizable in various ways:

- ▶ **GUILE** embedded as extension and scripting language
- ▶ A plugin system allows asynchronous communication with external programs
- ▶ Mechanism to dynamically load external code (via C interface)

GUILE is easy to embed and provides a reasonably fast implementation of SCHEME.

Why SCHEME?

1. Allows to mix programs and data in a common framework.
2. Allows to customize the language itself, by adding new programming constructs.
3. Allows to write programs on a very abstract level.

```
(menu-bind file-menu
  ("New" (new-buffer))
  ("Load" (choose-file load-buffer "Load file" ""))
  ("Save" (save-buffer))
  ...)
```

can be easily extended from user code:

```
(menu-bind insert-menu
  (former)
  ---
  (-> "Opening"
    ("Dear Sir" (insert "Dear Sir,"))
    ("Dear Madam" (insert "Dear Madam,")))
  (-> "Closing"
    ("Yours sincerely" (insert "Yours sincerely,"))
    ("Greetings" (insert "Greetings,"))))
```

Keybindings

```
(kbd-map
  ("D e f ." (make 'definition))
  ("L e m ." (make 'lemma))
  ("P r o p ." (make 'proposition))
  ("T h ." (make 'theorem)))
```

The file `my-init-buffer.scm` is executed every time a buffer is loaded, it allows some specific customizations. For example:

```
(if (not (buffer-has-name? (current-buffer)))
  (begin
    (init-style "article")
    (buffer-pretend-saved (current-buffer))))

(if (not (buffer-has-name? (current-buffer)))
  (make-session "maxima" (url->string (current-buffer))))
```

SCHEME commands can be invoked interactively (like in EMACS) using the `⌘^X` shortcut.

A SCHEME session is started using the Insert→Session→Scheme menu item:

```
scheme] (define (square x) (* x x))
```

```
scheme] (square 1111111)
```

```
scheme] (kbd-map ("h i ." (insert "Hi there!")))
```

```
scheme] ;; try typing ``hi.``
```

SCHEME commands can be invoked from the command line:

```
texmacs text.tm -x "(print)" -q
```

Or scheme statement executed from inside TeXmacs macros:

```
<extern|(lambda (x) `(concat "Hallo " ,x))|Piet>
```

SCHEME commands can be invoked interactively (like in EMACS) using the `⌘^X` shortcut.

A SCHEME session is started using the Insert→Session→Scheme menu item:

```
scheme] (define (square x) (* x x))
```

```
scheme] (square 1111111)
```

```
scheme] (kbd-map ("h i ." (insert "Hi there!")))
```

```
scheme] ;; try typing ``hi.``
```

SCHEME commands can be invoked from the command line:

```
texmacs text.tm -x "(print)" -q
```

Or scheme statement executed from inside TeXmacs macros:

```
<extern|(lambda (x) `(concat "Hallo " , x))|Piet>
```

SCHEME commands can be invoked interactively (like in EMACS) using the `⌘^X` shortcut.

A SCHEME session is started using the Insert→Session→Scheme menu item:

```
scheme] (define (square x) (* x x))
```

```
scheme] (square 1111111)
```

```
scheme] (kbd-map ("h i ." (insert "Hi there!")))
```

```
scheme] ;; try typing ``hi.``
```

SCHEME commands can be invoked from the command line:

```
texmacs text.tm -x "(print)" -q
```

Or scheme statement executed from inside TeXmacs macros:

```
<extern|(lambda (x) `(concat "Hallo " ,x))|Piet>
```

SCHEME commands can be invoked interactively (like in EMACS) using the `⌘^X` shortcut.

A SCHEME session is started using the Insert→Session→Scheme menu item:

```
scheme] (define (square x) (* x x))
```

```
scheme] (square 1111111)
```

```
scheme] (kbd-map ("h i ." (insert "Hi there!")))
```

```
scheme] ;; try typing ``hi.``
```

SCHEME commands can be invoked from the command line:

```
texmacs text.tm -x "(print)" -q
```

Or scheme statement executed from inside TeXmacs macros:

```
<extern|(lambda (x) `(concat "Hallo " , x))|Piet>
```

SCHEME commands can be invoked interactively (like in EMACS) using the `⌘^X` shortcut.

A SCHEME session is started using the Insert→Session→Scheme menu item:

```
scheme] (define (square x) (* x x))
```

```
scheme] (square 1111111)
```

```
scheme] (kbd-map ("h i ." (insert "Hi there!")))
```

```
scheme] ;; try typing ``hi.``
```

SCHEME commands can be invoked from the command line:

```
texmacs text.tm -x "(print)" -q
```

Or scheme statement executed from inside TeXmacs macros:

```
<extern|(lambda (x) `(concat "Hallo " , x))|Piet>
```

Contextual overloading

Function definition can depend on several run-time conditions (e.g. editor mode). This allows to develop modular user interfaces.

```
(tm-define (hello) (insert "Hello"))  
(tm-define (hello) (:require (in-math?)) (insert-go-to "hello()" '(6)))
```

```
(tm-define (hello)  
  (if (in-math?) (insert-go-to "hello()" '(6)) (former)))
```

```
(tm-define (my-replace what by)  
  default-implementation)
```

```
(tm-define (my-replace what by)  
  (:require (== what by))  
  (noop))
```

```
(tm-define (square x)
  (:synopsis "Compute the square of @x")
  (:argument x "A number")
  (:returns "The square of @x")
  (* x x))
```

Used via e.g. (`help square`). Allows for interactive input of parameters: typing `⌘^↑X` followed by `square` and `↵` and you will be prompted for “A number” on the footer (or in a dialog). Tab-completion.

```
(tm-property (choose-file fun text type)
  (:interactive #t))
```

to indicate interactive commands in menu items like:

```
("Load" (choose-file load-buffer "Load file" ""))
```

Check-marks for menu items:

```
(tm-define (toggle-session-math-input)
  (:check-mark "v" session-math-input?)
  (session-use-math-input (not (session-math-input?))))
```

```
(tm-define mouse-unfold
  (:secure #t)
  (with-action t
    (tree-go-to t :start)
    (fold)))
```

- This is a fold/unfold environment

Check-marks for menu items:

```
(tm-define (toggle-session-math-input)
  (:check-mark "v" session-math-input?)
  (session-use-math-input (not (session-math-input?))))
```

```
(tm-define mouse-unfold
  (:secure #t)
  (with-action t
    (tree-go-to t :start)
    (fold)))
```

- This is a fold/unfold environment

It allows to toggle the display of its content by switching the tag from `fold` to `unfold` and back.

- **Passive trees** (stree)

$$\frac{a^2}{b+c}$$

is typically represented by

```
(frac (concat "a" (rsup "2")) "b+c")
```

convenient to manipulate content directly using standard SCHEME routines on lists.

- **Active trees** (tree). TEX_{MACS} internal C++ type tree which is exported to SCHEME via the glue. Keeps track of the *position* of the tree inside the global document tree and can be used to programmatically modify documents.
- **Hybrid representation** (content). an expression of the type content is either a string, a tree or a list whose first element is a symbol and whose remaining elements are other expressions of type content.

```
scheme] (tree-set! t '(document "First line." "Second line."))
```

```
scheme] (tree-set t 1 "New second line.")
```

```
scheme] (tree-set t 0 `(strong ,(tree-ref t 0)))
```

```
(tm-define (swap-numerator-denominator t)
  (:require (tree-is? t 'frac))
  (with p (tree-cursor-path t)
    (tree-set! t '(frac ,(tree-ref t 1) ,(tree-ref t 0)))
    (tree-go-to t (cons (- 1 (car p)) (cdr p)))
    (tree-focus t)))
```

To be called as `(swap-numerator-denominator (focus-tree))`, or just add it as a structured variant to `frac`

```
(tm-define (variant-circulate t forward?)
  (:require (tree-is? t 'frac))
  (swap-numerator-denominator t))
```

$\text{T}_{\text{E}}\text{X}_{\text{MACS}}$ implements the routines `match?` and `select` for matching regular expressions and selecting subexpressions along a “path”. For instance: in the current buffer search all expressions of the form

$$\frac{a}{1 + \sqrt{b}}$$

where a and b are general expressions:

```
Scheme] (select (buffer-tree) '(:* (:match (frac :%1 (concat "1+" (sqrt :%1))))))
```

User preferences

```
(define-preferences
  ("Gnu's hair color" "brown" notify-gnu-hair-change)
  ("Snail's cruising speed" "1mm/sec" notify-Achilles))
```

New data formats and converters

```
(define-format blablah
  (:name "Blablah")
  (:suffix "bla"))

(converter blablah-file latex-file
  (:require (url-exists-in-path? "bla2tex"))
  (:shell "bla2tex" from ">" to))
```

When a format can be converted from or into $\text{T}_{\text{E}}\text{X}_{\text{MACS}}$, then it will automatically appear into the File→Export and File→Import menus. Similarly, when a format can be converted to POSTSCRIPT, then it also becomes a valid format for images. $\text{T}_{\text{E}}\text{X}_{\text{MACS}}$ also attempts to combine explicitly declared converters into new ones.

Dialogues

```
Scheme] (user-ask "First number: "  
  (lambda (a)  
    (user-ask "Second number: "  
      (lambda (b)  
        (set-message (number->string (* (string->number a)  
                                         (string->number b)))  
                    "product"))))))
```

Widgets

```
Scheme] (tm-widget (example3)  
  (hlist  
    (bold (text "Hello"))  
    >>>  
    (inert (explicit-buttons ("world" (display "!\\n"))))))
```

```
Scheme] (top-window example3 "Some text")
```

```
Scheme]
```

```
Scheme] (define t
  (stree->tree
    '(root
      (library "Library" "STEXMACS_PIXMAP_PATH/tm_german. xpm" 01
        (collection "Cool stuff" 001)
        (collection "Things to read" 002)
        (collection "Current work" 003
          (collection "Forever current" 004)
          (collection "Read me" 005))))))
```

```
Scheme] (define dd
  (stree->tree
    '(list (library DisplayRole DecorationRole UserRole: 1)
      (collection DisplayRole UserRole: 1))))
```

```
Scheme] (define (action clicked cmd-role . user-roles)
  (display* "clicked= " clicked ", cmd-role= " cmd-role
    ", user-roles= " user-roles "\n"))
```

```
Scheme] (tm-widget (widget-library)
  (resize ("150px" "400px" "9000px") ("300px" "600px" "9000px")
    (vertical
      (bold (text "Testing tree-view"))
      ===
      (tree-view action t dd))))
```

```
Scheme] (top-window widget-library "Tree View")
```

```
Scheme]
```

```

Scheme] (tm-widget (form3 cmd)
  (resize "500px" "500px"
    (padded
      (form "Test"
        (aligned
          (item (text "Input: ")
            (form-input "fi el dname1" "string" '("one") "1w"))
          (item === ===)
          (item (text "Enum: ")
            (form-enum "fi el dname2" '("one" "two" "three") "two" "2w"))
          (item === ===)
          (item (text "Choi ce: ")
            (form-choi ce "fi el dname3" '("one" "two" "three") "one"))
          (item === ===)
          (item (text "Choi ces: ")
            (form-choi ces "fi el dname4"
              '("one" "two" "three")
              '("one" "two")))))
        (bottom-buttons
          ("Cancel " (cmd "cancel ")) >>
          ("Ok"
            (di spl ay* (form-fi el ds) " -> " (form-val ues) "\n")
            (cmd "ok"))))))))

```

```

Scheme] (di al ogue-wi ndow form3 (l ambda (x) (di spl ay* x "\n")) "Test of form3")

```

```

Scheme]

```

New styles can be defined via SCHEME modules like `example.scm` defined as follows:

```
(texmacs-module (bibtex example)
  (:use (bibtex bib-utils)))

(bib-define-style "example" "plain")

(tm-define (bib-format-date e)
  (:mode bib-example?)
  (bib-format-field e "year"))
```

This example style behaves in a similar way as the `plain` style, except that all dates are formatted according to our custom routine. Styles are stored in `$TEXMACS_PATH/progs/bibtex` and referred to as e.g. `tm-example` (for when used in a `TEXMACS` document).

Graphics objects are also part of the TeXmacs format and can be manipulated programmatically from Scheme.

Actually, part of the graphics editor is written in Scheme.

```
Scheme] (stree->tree
  '(with gr-geometry (tuple "geometry" "200px" "100px" "center")
    color "blue"
    (graphics (text-at "TeXmacs" (point "-2.5" "-1"))
      (point 0 -1)
      (line (point 0 0) (point 0 1)
        (point 1 1) (point 1 0) (point 0 0))))))
```

```
Scheme]
```

Graphics objects are also part of the TeXmacs format and can be manipulated programmatically from Scheme.

Actually, part of the graphics editor is written in Scheme.

```
Scheme] (stree->tree
  '(with gr-geometry (tuple "geometry" "200px" "100px" "center")
    color "blue"
    (graphics (text-at "TeXmacs" (point "-2.5" "-1"))
      (point 0 -1)
      (line (point 0 0) (point 0 1)
        (point 1 1) (point 1 0) (point 0 0)))))
```



TeXmacs •

```
Scheme]
```

Many improvements ahead

- ▶ Version 2.1 to be released soon
- ▶ Update the backend to QT 5 (currently QT 4.8) [almost there]
- ▶ Adapt the scheme code to run on GUILE 3. (currently GUILE 1.8) [WIP]
- ▶ New website, documentations, videos [WIP]
- ▶ JUPYTER plugins (protocol to interface to many computational kernels, e.g. PYTHON, JULIA, R, HASKELL, GUILE, ...)
- ▶ Improvements to the styling of presentations and posters [WIP]
- ▶ More documentation, more tutorial, grow community [Stackexchange proposal]
- ▶ Collaboration tools
- ▶ Bibliography management with ZOTERO

Many opportunities for contributions for all tastes

▶ From the outside

- ▶ Write and review documentations, tutorials, videos, improve community, advertise
- ▶ Develop plugins to your preferred system or to add your preferred feature, e.g.: literate programming tools with beautiful output
- ▶ Write new document styles, templates, presentation styles, poster styles
- ▶ Font tuning

▶ Hack the C++ code

- ▶ Understand the code and write developer documentation
- ▶ Improve the QT backend, fix bugs, add features, improve stability, better image handling and PDF export of TeXmacs features
- ▶ Write new backends (COCOA), port to tablets or to the browser

▶ Hack SCHEME

- ▶ Help porting to GUILE 3, improve speed
- ▶ fix bugs, review code, add new cool features

Happy TeXmacsing!

